



Two approaches to account for G x E interactions for production traits in South African Holstein



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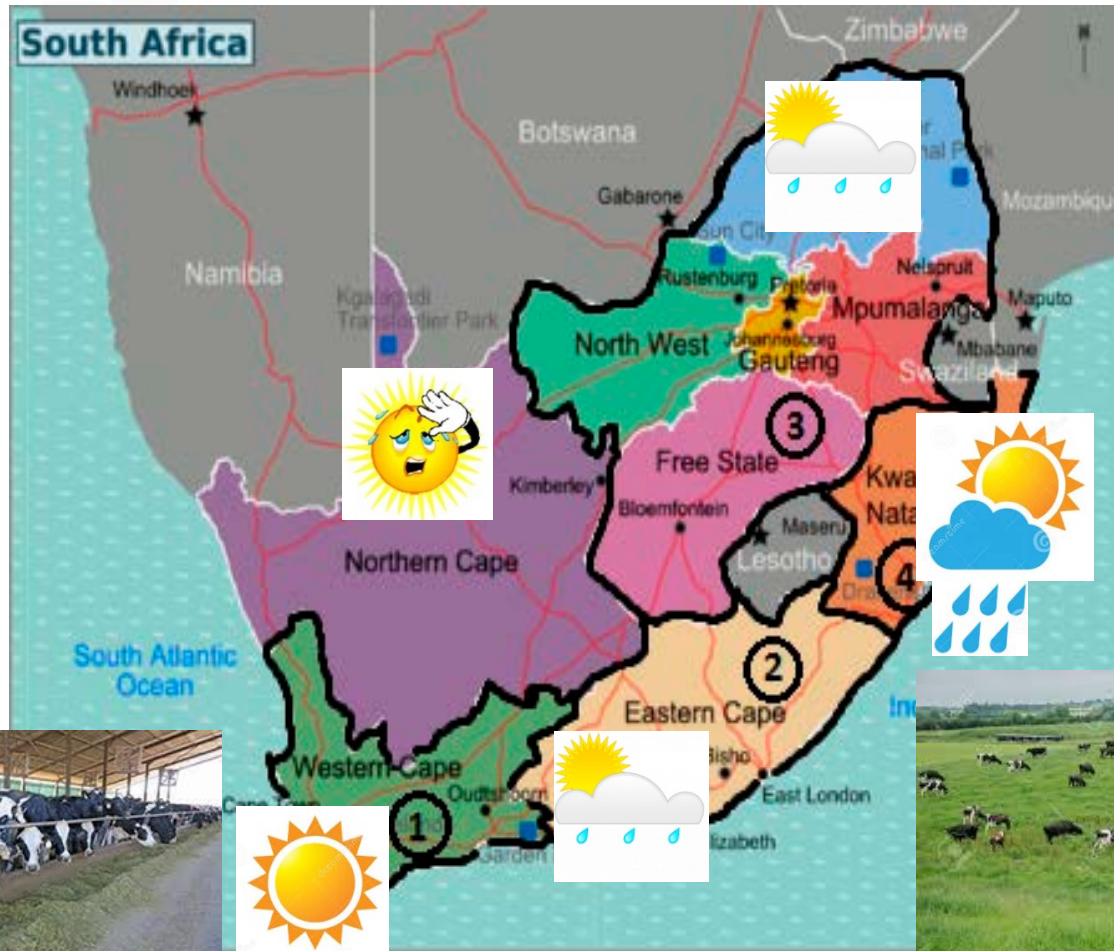
GxE in South Africa

- Part of the GENOSOUTH project (INRA « metaprogramme »)
- Data on :
 - 4 traits: Milk, fat, protein, age at first calving
 - 378,782 first lactations between 1982 and 2012
 - 10 climatic variables at herd level

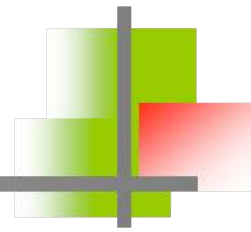
(averaged over 50 years, *closest weather station from the herd*):

Average rainfall, temperature (min, max), relative humidity (min, max), solar radiation, evapotranspiration, summer temperature (max), summer solar radiation (max), summer relative humidity (max)

Environmental conditions in South Africa

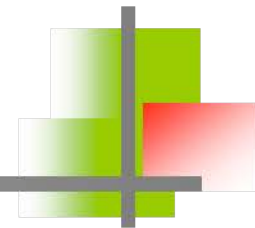


Contrasted performances



Region	Number of animals	Milk yield (kg)	Fat yield (kg)	Protein yield (kg)	Age at First Calving (mo)
(1) Western Cape	91 024	7 729	282	249	27
(2) Eastern Cape	56 251	5 955	214	191	29
(3) Free State, Gauteng, North West and Limpopo	135 218	6 758	246	215	29
(4) KwaZulu Natal	90 415	5 767	207	183	29

Models (1)



1. Univariate model:

$$y_{305d} = \sum \text{fixed effects} + a + e$$

The term a is associated with a red oval containing $A\sigma_a^2$. The term e is associated with a blue oval containing $I\sigma_e^2$.

Herd-year + calving season + age at first calving

2. with heterogenous residual variance

$$y_{305d} = \sum \text{fixed effects} + a + e$$

The term e is associated with a blue oval containing $I\sigma_{e_{\text{region } i}}^2$.

Models (2)

3. Multivariate models (« MACE type ») : 1 region = 1 trait

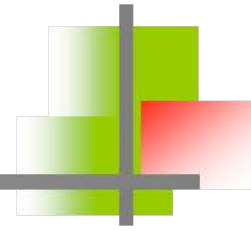
$$Y_{305d} = \sum \text{fixed effects} + \underbrace{\mathbf{A} \sigma^2}_{\mathbf{a}} a_{\text{region } i} + \underbrace{\mathbf{I} \sigma^2}_{\mathbf{e}} e_{\text{region } i}$$

(in fact, $\text{var}(\mathbf{a}) = \mathbf{G}_0 \otimes \mathbf{A}$)

- a. $\mathbf{G}_0 = \text{rank } 4$ (10 parameters)
- b. $\mathbf{G}_0 = \text{rank } 3$ (9 parameters)
- c. $\mathbf{G}_0 = \text{rank } 2$ (7 parameters)
- d. $\mathbf{G}_0 = \text{rank } 1$ (4 parameters)

More parcimonious models using the Wombat software (K. Meyer)

Models (3)

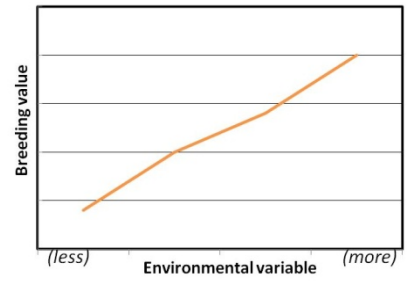


4. reaction norm models:

$$\text{var}(\mathbf{a}) = \mathbf{G}_{rn} \otimes \mathbf{A}$$

$$y_{305d} = \sum \text{fixed effects} + a_1 + c_k a_2 + e$$

$$I \sigma^2_{e_{\text{region } j}}$$



↑
Climatic variable (standardized)

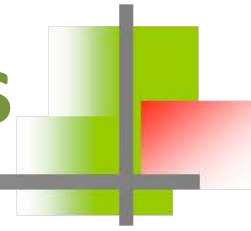
\mathbf{G}_{rn} is of rank 2

5. more complex reaction norm models:

$$y_{305d} = \sum \text{fixed effects} + a_1 + c_k a_2 + \dots + c_p a_n + \dots + e$$

\mathbf{G}_{rn} can be of rank n or $< n$ (for example: 2)

Results : uni/multi variate models



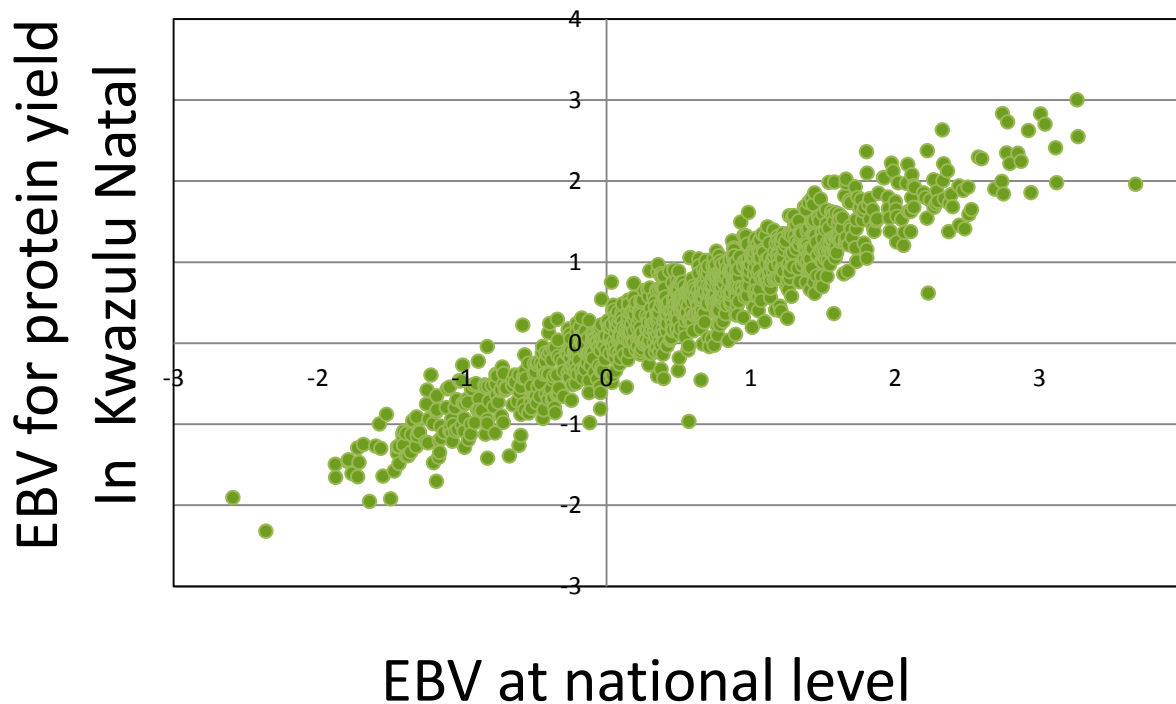
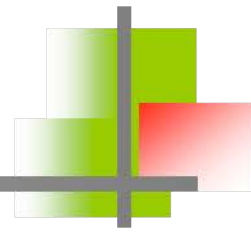
- **Genetic parameters (h^2 , ρ_a) in two situations**
 - 1 country = 1 trait

Analysis	Milk yield	Age at first calving
Univariate	0.25	0.18

- 1 region = 1 trait → 4 traits

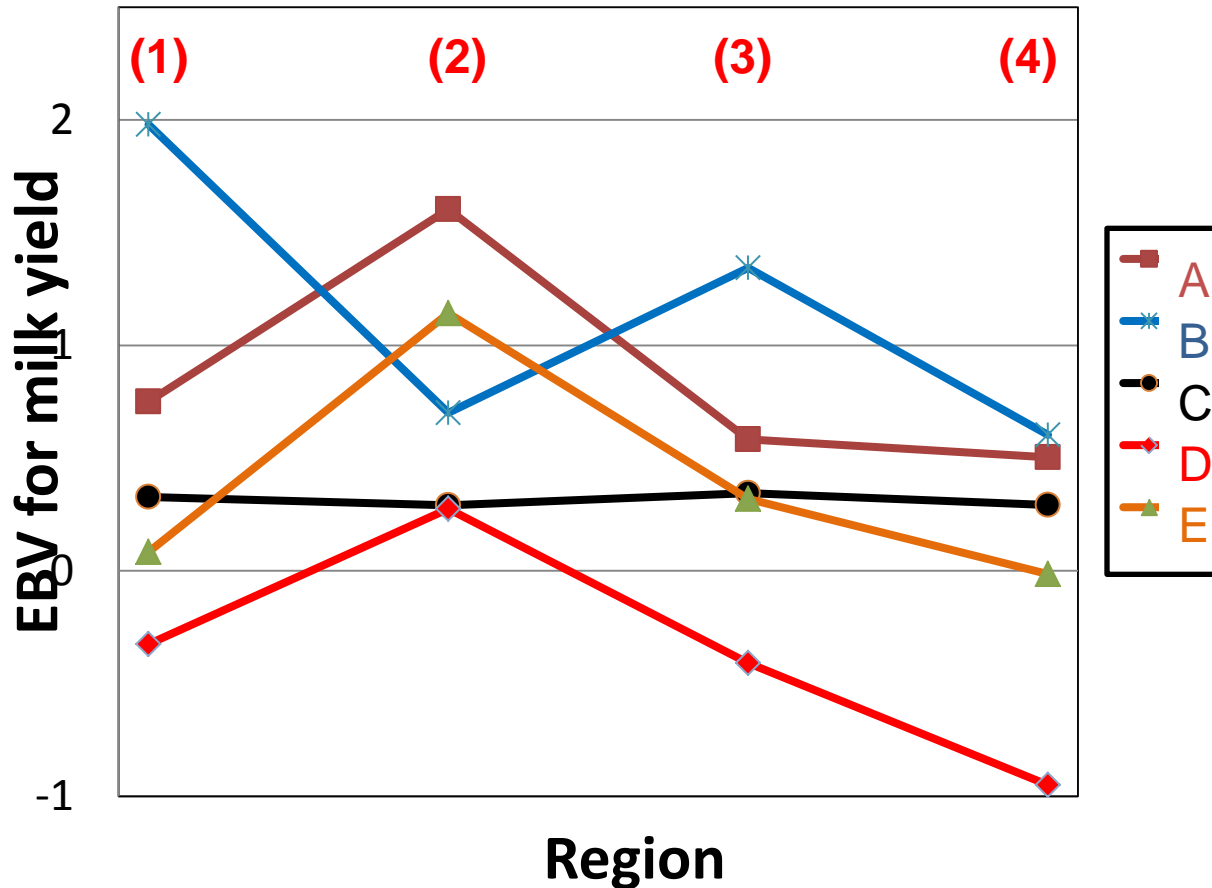
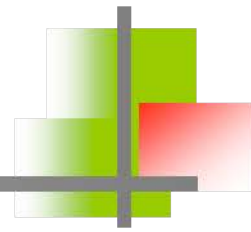
Multi-variate	(1)	0.23			0.22			
	(2)	0.75	0.36		0.62	0.18		
	(3)	0.87	0.83	0.25	0.74	0.82	0.18	
	(4)	0.82	0.76	0.86	0.27	0.71	0.64	0.82

Implications = reranking !



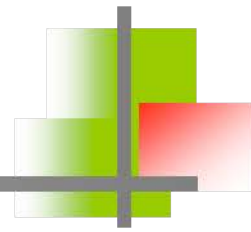
- The best bulls in a given region are not necessarily the best ones at national level ...

Implications = reranking !



- Farmers are better off if they can pick the best bulls for their own region ...

Results : reduced rank models

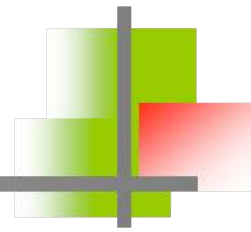


Genetic parameters (h^2 , ρ_a) for milk yield

region	(1)	0.23		Rank 4	0.23		Rank 3		
	(2)	0.75	0.36		0.78	0.37			
	(3)	0.87	0.83	0.25	0.85	0.85	0.25		
	(4)	0.82	0.76	0.86	0.27	0.95	0.75	0.95	0.27
		<i>(+0.029)</i>				<i>(+0.013)</i>			

region	(1)	0.24		Rank 2	0.23		Rank 1	
	(2)	0.77	0.37		1.00	0.36		
	(3)	0.91	0.96	0.25	1.00	1.00	0.25	
	(4)	1.00	0.82	0.95	0.27	1.00	1.00	1.0
		<i>(+0.003)</i>						

Results : Model comparison



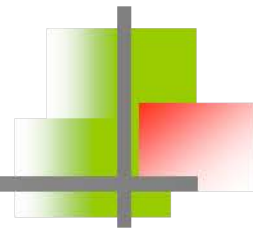
Model	BIC - BICmin
Univariate	10410
Univariate + residual variance by region	1236
Multivariate by region, rank 1	194
Multivariate by region, rank 2	67
Multivariate by region, rank 3	39
Multivariate by region, rank 4	0

A reaction norm model using climatic variables

- **Fraction (%= of the total genetic variability) explained by the (best) climatic variables**

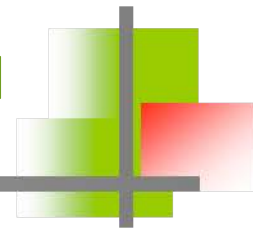
Climatic variable	Milk yield	Fat yield	Protein yield	Age at first calving
Average rainfall	9.9	9.5	10.5	9.0
Max temperature	2.6	2.8	3.4	7.3
Max Summer Temperature	1.0	1.3	0.8	26.1
Min Relative Humidity	1.0	1.0	0.9	23.3

Results : Model comparison



Model	BIC - BICmin
Univariate	11 190
Univariate + residual variance by region	2 016
Multivariate by region, rank 4	780
Reaction norm on average rainfall, rank 2	745
Reaction norm on average rainfall and max temperature, rank 3	0

Grouping herds in 4 groups according to average rainfall



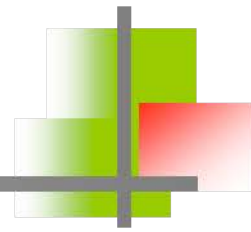
Average rainfall (mm)	Proportion of herds with pasture (%)	Milk yield		Region	Average rainfall	Milk yield (kg)	h ²
		Mean (kg)	h ²				
>755	80.5	5 962	0.27	(4) KwaZulu Natal	851	5 767	0.27
659 ⇔ 755	48.8	6 070	0.31	(2) Eastern Cape	601	5 955	0.36
547 ⇔ 659	11.7	7 746	0.26	(3) Free State, NW, Limpopo	606	6 758	0.25
< 547	1.8	7 989	0.25	(1) Western Cape	556	7 729	0.24

Statistically as good!

Conclusion

- within South Africa : as much **G x E interaction** as between Europe and New-Zealand ! probably related to large **climatic (rainfall) / feeding system (pasture vs TMR) differences**
- a reaction norm model based on average rainfall gives results as good as when considering 1 trait per region (« MACE type »),
 - possibly because rainfall « imposes » a particular feeding system
- G x E should be considered at national level in the future





*THANK YOU
FOR YOUR ATTENTION!*